

# Ontologies: An Introduction

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# The Origin of the "Ontology"

The term **Ontology** has its origin in philosophy

- **Ontology: the branch of philosophy which deals with the nature and the organisation of reality**

In this sense the Ontology tries to answer to the question:

- *What is being?* or, in a meaningful reformulation:
- *What are the features common to all beings?*

"Ontology": recently adopted in several fields of computer science and information science  $\Rightarrow$  several meaning have been assigned to the "Ontology" term

# "Ontology" in Computer Science and Information Science

## [Guarino et al. 1995]

- Ontology as a specific "*syntactic*" object
  - Ontology as representation of conceptual system via a logical theory
  - Ontology as the vocabulary used by a logical theory
  - Ontology as a meta-level specification of a logical theory
- Ontology as a conceptual "*semantic*" entity
  - Ontology as *informal* conceptual system
  - Ontology as *formal* semantic account
- Ontology as specification of a *conceptualization*
  - an intensional semantic structure which encodes the implicit rules constraining the structure of a piece of reality.

## Different kinds of Ontologies

- **Domain Ontology:** models a specific domain. It represents the particular meanings of terms as they apply to that domain (ex. *CHEMICALS*, *Gene Ontology*). The word *card* has different meaning:
  - An ontology about the domain of *poker* would model the *playing card*
  - An ontology about the domain of *computer hardware* would model the *punch card* and *video card* meanings.
- **Upper Ontology** (or foundation ontology): is a model of the common objects that are generally applicable across a wide range of domain ontologies.
  - It contains a core glossary in whose terms can be used to describe a set of domains. Ex. *Dublin Core*, *GFO*, *OpenCyc/ResearchCyc*, *SUMO*, and *DOLCE*

## Ontology Role and Usage

*Def.* An *ontology* is a formal conceptualization of a domain that is shared and reused across domains, tasks and group of people [A. Gomez Perez et al. 1999]

- The *ontology role* is to make *semantics explicit*. Thus ontologies are *used* for:
  - Constituting a community reference
  - Sharing consistent understanding of what information means
  - Making possible Knowledge Reuse and Sharing
  - Increasing Interoperability between systems

## Ontology: Basic elements...

- **Individuals:** are the "ground level" components of an ontology.
  - Individuals can be: **1) concrete objects of a domain** i.e. *people, animals, automobiles, molecules...* **2) abstract individuals** i.e. *numbers and words*.
- **Concepts:** are collections of objects. They may contain individuals, other classes, or a combination of both. Some examples of classes:
  - *Molecule*, the class of all molecules
  - *Vehicle*, the class of all vehicles
  - *Car*, the class of all cars

## ...Ontology: Basic elements

- **Attributes:** *describe the objects* in the ontology.  
Ex.: the Ford Explorer object has attributes:
  - Number-of-doors: 4
  - Transmission: 6-speed
- **Relationships:** make explicit the links between objects.  
A relationship can be model as:
  - ① an *attribute whose value is another object* in the ontology,
    - Ex.: given the objects Ford Explorer and Ford Bronco, the attribute Successor:Ford Explorer of Ford Bronco means that Explorer is the modeled that replaced Bronco.
  - ② a mathematical relation
    - Ex.: Successor(Ford Bronco,Ford Explorer)
- Much of the power of ontologies comes from the ability to describe these relations.



# Ontology Representation Languages

- **Informal:** natural language
- **Semi-Formal:** limited structured form of natural language
- **Formal:** formal language with formal semantics
  - *Cycl*: developed in the Cyc project. It is based on first-order predicate calculus with some higher-order extensions.
  - *RIF* (Rule Interchange Format) and *F-Logic*: combine ontologies and rules.
  - **OWL**: developed as a follow-on from RDF and RDFS, and earlier ontology language projects: OIL, DAML, DAML+OIL. *OWL is intended to be used over the World Wide Web*,
    - Supported by *well-founded semantics* of *DLs*
    - together with a series of available automated *reasoning services* allowing to derive logical consequences from an ontology

# DL: The Reference Representation Language

## Basics elements of DL

- Primitive *concepts*  $N_C = \{C, D, \dots\}$ : subsets of a domain
- Primitive *roles*  $N_R = \{R, S, \dots\}$ : binary relations on the domain
- *Interpretation*  $\mathcal{I} = (\Delta^{\mathcal{I}}, \cdot^{\mathcal{I}})$  where  $\Delta^{\mathcal{I}}$ : *domain* of the interpretation and  $\cdot^{\mathcal{I}}$ : *interpretation function* that assigns to each primitive concept  $C$  a subset  $C^{\mathcal{I}} \subseteq \Delta^{\mathcal{I}}$  and assigns to each primitive role  $R$  a binary relation  $R^{\mathcal{I}} \subseteq \Delta^{\mathcal{I}} \times \Delta^{\mathcal{I}}$

## Building Complex Concept Descriptions

Name	Syntax	Semantics
atomic negation	$\neg A, A \in N_C$	$A^I \subseteq \Delta^I$
full negation	$\neg C$	$C^I \subseteq \Delta^I$
concept conj.	$C \sqcap D$	$C^I \cap D^I$
concept disj.	$C \sqcup D$	$C^I \cup D^I$
full exist. restr.	$\exists R.C$	$\{a \in \Delta^I \mid \exists b (a, b) \in R^I \wedge b \in C^I\}$
universal restr.	$\forall R.C$	$\{a \in \Delta^I \mid \forall b (a, b) \in R^I \rightarrow b \in C^I\}$
at most restr.	$\leq nR$	$\{a \in \Delta^I \mid  \{b \in \Delta^I \mid (a, b) \in R^I\}  \leq n\}$
at least restr.	$\geq nR$	$\{a \in \Delta^I \mid  \{b \in \Delta^I \mid (a, b) \in R^I\}  \geq n\}$
qualif. at most r.	$\leq nR.C$	$\{a \in \Delta^I \mid  \{b \in \Delta^I \mid (a, b) \in R^I \wedge b \in C^I\}  \leq n\}$
qualif. at least r.	$\geq nR.C$	$\{a \in \Delta^I \mid  \{b \in \Delta^I \mid (a, b) \in R^I \wedge b \in C^I\}  \geq n\}$
one-of	$\{a_1, a_2, \dots, a_n\}$	$\{a \in \Delta^I \mid a = a_i, 1 \leq i \leq n\}$
has value	$\exists R.\{a\}$	$\{b \in \Delta^I \mid (b, a^I) \in R^I\}$
inverse of	$R^-$	$\{(a, b) \in \Delta^I \times \Delta^I \mid (b, a) \in R^I\}$

## Knowledge Base & Subsumption

$$\mathcal{K} = \langle \mathcal{I}, \mathcal{A} \rangle$$

- *T-box*  $\mathcal{T}$  is a set of definitions  $C \equiv D$ , meaning  $C^{\mathcal{I}} = D^{\mathcal{I}}$ , where  $C$  is the concept name and  $D$  is a description
- *A-box*  $\mathcal{A}$  contains extensional assertions on concepts and roles e.g.  $C(a)$  and  $R(a, b)$ , meaning, resp., that  $a^{\mathcal{I}} \in C^{\mathcal{I}}$  and  $(a^{\mathcal{I}}, b^{\mathcal{I}}) \in R^{\mathcal{I}}$ .

### Subsumption

Given two concept descriptions  $C$  and  $D$ ,  $C$  *subsumes*  $D$ , denoted by  $C \sqsupseteq D$ , iff for every interpretation  $\mathcal{I}$ , it holds that  $C^{\mathcal{I}} \supseteq D^{\mathcal{I}}$

## TBox: Example

Primitive Concepts:  $N_C = \{\text{Female, Male, Human}\}$ .

Primitive Roles:

$N_R = \{\text{HasChild, HasParent, HasGrandParent, HasUncle}\}$ .

$\mathcal{T} = \{ \text{Woman} \equiv \text{Human} \sqcap \text{Female}; \text{Man} \equiv \text{Human} \sqcap \text{Male}$

$\text{Parent} \equiv \text{Human} \sqcap \exists \text{HasChild.Human}$

$\text{Mother} \equiv \text{Woman} \sqcap \text{Parent}$

$\text{Father} \equiv \text{Man} \sqcap \text{Parent}$

$\text{Child} \equiv \text{Human} \sqcap \exists \text{HasParent.Parent}$

$\text{Grandparent} \equiv \text{Parent} \sqcap \exists \text{HasChild}.(\exists \text{HasChild.Human})$

$\text{Sibling} \equiv \text{Child} \sqcap \exists \text{HasParent}.(\exists \text{HasChild} \geq 2)$

$\text{Niece} \equiv \text{Human} \sqcap \exists \text{HasGrandParent.Parent} \sqcup \exists \text{HasUncle.Uncle}$

$\text{Cousin} \equiv \text{Niece} \sqcap \exists \text{HasUncle}.(\exists \text{HasChild.Human}) \}$ .

## ABox: Example

$\mathcal{A} = \{ \text{Woman}(\text{Claudia}), \text{Woman}(\text{Tiziana}), \text{Father}(\text{Leonardo}), \text{Father}(\text{Antonio}),$   
 $\text{Father}(\text{AntonioB}), \text{Mother}(\text{Maria}), \text{Mother}(\text{Giovanna}), \text{Child}(\text{Valentina}),$   
 $\text{Sibling}(\text{Martina}), \text{Sibling}(\text{Vito}), \text{HasParent}(\text{Claudia}, \text{Giovanna}),$   
 $\text{HasParent}(\text{Leonardo}, \text{AntonioB}), \text{HasParent}(\text{Martina}, \text{Maria}),$   
 $\text{HasParent}(\text{Giovanna}, \text{Antonio}), \text{HasParent}(\text{Vito}, \text{AntonioB}),$   
 $\text{HasParent}(\text{Tiziana}, \text{Giovanna}), \text{HasParent}(\text{Tiziana}, \text{Leonardo}),$   
 $\text{HasParent}(\text{Valentina}, \text{Maria}), \text{HasParent}(\text{Maria}, \text{Antonio}), \text{HasSibling}(\text{Leonardo}, \text{Vito}),$   
 $\text{HasSibling}(\text{Martina}, \text{Valentina}), \text{HasSibling}(\text{Giovanna}, \text{Maria}),$   
 $\text{HasSibling}(\text{Vito}, \text{Leonardo}), \text{HasSibling}(\text{Tiziana}, \text{Claudia}),$   
 $\text{HasSibling}(\text{Valentina}, \text{Martina}), \text{HasChild}(\text{Leonardo}, \text{Tiziana}),$   
 $\text{HasChild}(\text{Antonio}, \text{Giovanna}), \text{HasChild}(\text{Antonio}, \text{Maria}), \text{HasChild}(\text{Giovanna}, \text{Tiziana}),$   
 $\text{HasChild}(\text{Giovanna}, \text{Claudia}), \text{HasChild}(\text{AntonioB}, \text{Leonardo}),$   
 $\text{HasChild}(\text{Maria}, \text{Valentina}), \text{HasUncle}(\text{Martina}, \text{Giovanna}),$   
 $\text{HasUncle}(\text{Valentina}, \text{Giovanna}) \}$

## From DL to OWL

```
<owl:Class rdf:ID="Human" />
<owl:Class rdf:ID="Father" >
  <owl:equivalentClass>
    <owl:Class>
      <owl:intersectionOf rdf:parseType="Collection" >
        <owl:Class rdf:ID="Man" />
        <owl:Class rdf:ID="Parent" />
      </owl:intersectionOf>
    </owl:Class>
  </owl:equivalentClass>
</owl:Class>
<owl:Class rdf:ID="Female" >
  <owl:disjointWith>
    <owl:Class rdf:ID="Male" />
  </owl:disjointWith>
</owl:Class>
<owl:Class rdf:ID="Child" >
  <owl:equivalentClass>
    <owl:Restriction>
      <owl:someValuesFrom>
```

## Reasoning on ontology

- An ontology is made by a set of axioms  $\Rightarrow$  *implicit knowledge* can be *made explicit* (derived) through inferences.
  - Developed Reasoners (based on DL formal semantics):
    - *FaCT*
    - *RACER*
    - *PELLET*



## TBox Standard Inference Services

- *Concept Satisfiability*: checks if a newly defined concept makes sense w.r.t. the existing TBox or it is contradictory
  - **Ex.:**  $\mathcal{T} = \{ \text{Parent, Man, Woman} \equiv \neg \text{Man}, \text{Mother} \equiv \text{Woman} \sqcap \text{Parent} \}$  *added*  $\text{Man} \sqsupseteq \text{Mother} \Rightarrow$  the new axiom is *unsatisfiable* w.r.t TBox since the disjointness constraint between Man and Woman is violated
- *Subsption*: checks if a concept  $C$  is more general than another concept  $D \Rightarrow$  used for computing *concept hierarchy*
  - **Ex.:**  $\mathcal{T} = \{ \text{Parent, Man, Woman} \equiv \neg \text{Man}, \text{Mother} \equiv \text{Woman} \sqcap \text{Parent} \}$  *added*  $\text{Father} \equiv \text{Man} \sqcap \text{Parent} \Rightarrow$   $\text{Parent} \sqsupseteq \text{Father}$  and  $\text{Man} \sqsupseteq \text{Father}$

## ABox Standard Inference Services

- *ABox consistency (w.r.t. the TBox)*: checks if a new (concept or role) assertion in an ABox  $\mathcal{A}$  makes  $\mathcal{A}$  inconsistent w.r.t. a TBox  $\mathcal{T}$  or not
  - **Ex.1:**  $\mathcal{T} = \{\text{Woman} \equiv \text{Person} \sqcap \text{Female}, \text{Man} \equiv \text{Person} \sqcap \neg \text{Female}\}$ ;  $\mathcal{A} = \{\text{Woman}(\text{MARY}), \text{Man}(\text{MARY})\} \Rightarrow \mathcal{A}$  is *inconsistent* w.r.t.  $\mathcal{T}$
  - **Ex.2:** TBox  $\mathcal{T} = \{\text{Woman}, \text{Man}\} \Rightarrow \mathcal{A}$  is *consistent* w.r.t.  $\mathcal{T}$  since no restrictions are imposed on the interpretation of Woman and Man
- *Instance Checking*: decide whether an individual is an instance of a concept or not
- *Retrieval*: finds all individuals instance of a concept
  - **Ex.:**  $\mathcal{T} = \{\text{Female} \sqsupseteq \text{Woman}\}$ ;  $\mathcal{A} = \{\text{Female}(\text{Ann}), \text{Woman}(\text{Sara})\} \Rightarrow \text{Retrieval}(\text{Female}) = \{\text{Ann}, \text{Sara}\}$

## Reasoning Services in Ontology Life-Cycle

Reasoning services can be employed in different phases of the ontology life-cycle

- **Ontology design**

- Check concept satisfiability, ontology satisfiability and (unexpected) implied relationships

- **Ontology aligning and merging**

- Assert inter-ontology relationships
- Reasoner computes integrated concept hierarchy/consistency

- **Ontology deployment**

- Determine if a set of facts are consistent w.r.t. ontology
- Determine if individuals are instances of ontology concepts
- Classification-based querying

## Expressiveness and Computability

With the increasing of the expressive power of the knowledge representation language the computational complexity of the reasoning procedure increases  $\Rightarrow$  increasing of the time necessary for computing inferences

- It can happen that some inferences do not give any reply  $\Rightarrow$  semi-decidable procedure

If a conclusion  $C$  is not a logic consequence of a set of premises  $P$  then the procedure for its prove cannot terminate.

## OWL Languages

The OWL language provides three increasingly expressive sublanguages:

- **OWL Lite:** *decidable* with desirable computational properties
  - supports the classification hierarchy inference and simple constraint features, i.e. cardinality constraints on properties where only cardinality values of 0 and 1 are permitted.
- **OWL DL:** *decidable* but subject to higher worst-case complexity. It is so called for its correspondence with DL.
  - allows restrictions such as type separation (a class cannot also be an individual or a property, a property cannot also be an individual or a class).
- **OWL Full:** *not decidable*
  - a class can be treated simultaneously as a collection of individuals and as an individual in its own right.

## OWA vs. CWA

- **Open World Assumption:** typical of DL
  - Absence of information is interpreted as unknown information
- **Closed World Assumption:** typical of DB
  - Absence of information is interpreted as negative information

**Ex.:**  $\mathcal{T} = \{ \text{Female}, \text{Woman} \};$   
 $\mathcal{A} = \{ \text{Female}(\text{Ann}), \text{Woman}(\text{Sara}) \}$

**CWA:**  $q = \text{Female}(\text{Sara}) ? \rightarrow \text{NO}$

**OWA:**  $q = \text{Female}(\text{Sara}) ? \rightarrow \text{UNKNOWN}$

## Tools for building and managing ontologies

- **Protégé:** free, open source ontology editor and knowledge-base framework
- **Chimaera:** system for creating and maintaining distributed ontologies on the web. Major supported functions: merging multiple ontologies; diagnosing of one or more ontologies.
- **Ontolingua:** distributed collaborative environment to browse, create, edit, modify, and use ontologies.
- **OntoEdit:** Engineering Environment for the development and maintenance of ontologies using graphical means.
- **WebOnto:** Java applet coupled with a customised web server allowing to browse and edit knowledge models over the web.
- **KAON:** open-source infrastructure for ontology creation and management, and providing a framework for building ontology-based applications.

# Conclusions

## Summarizing

- An *ontology* is a formal conceptualization of a domain that is shared and reused across domains, tasks and group of people
- Ontologies are *used* in different fields *for*:
  - Constituting a community reference
  - Sharing consistent understanding of what information means
  - Making possible interoperability between systems
  - Making the *Web* machine-readable and processable besides of human-readable (Semantic Web)

## Line of research:

- *Ontology construction* is the *result of a complex process* of knowledge acquisition  $\Rightarrow$  (semi)-automatic tools for building ontologies are necessary
  - *Machine learning methods* can be useful for accomplishing such a goal



## The End

That's all!

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